

Optimization theory applied to coastal dynamics

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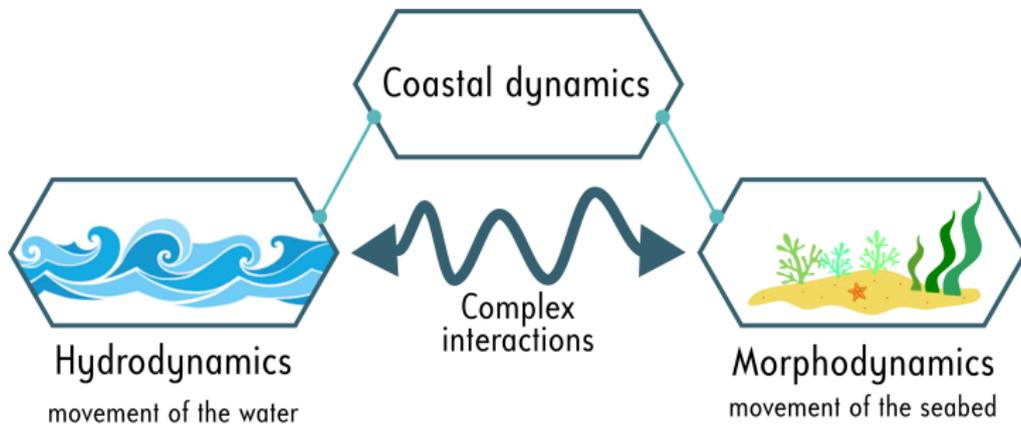
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SETTINGS



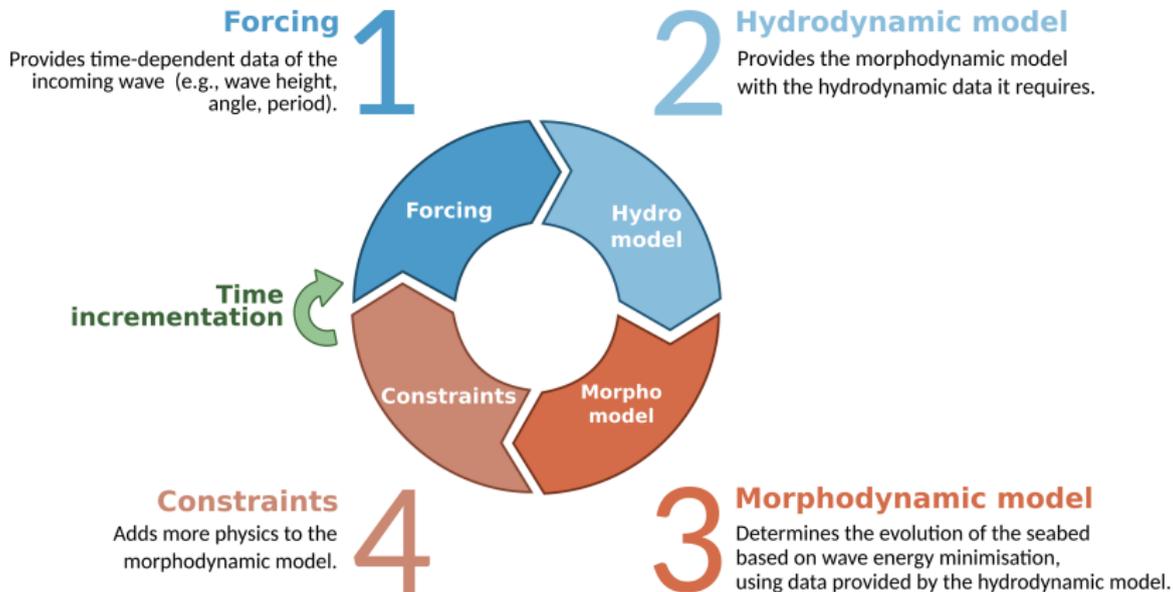
Assumption

The seabed evolves in order to minimize a wave-related quantity.

Objective

Identify the driving force behind morphodynamics.

WORKFLOW



MORPHODYNAMIC MODEL BASED ON WAVE ENERGY MINIMIZATION

The seabed evolves in order to minimize...

$$J(\psi) = \frac{1}{8} \int_0^{x_B} \rho_w g H(\psi, x)^2 dx \quad [J.m^{-1}]$$

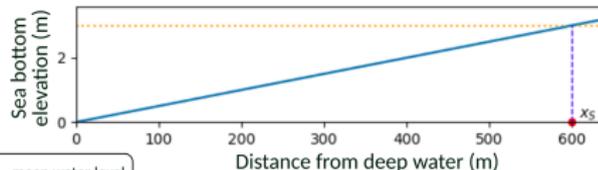
Diagram illustrating the components of the potential energy equation $J(\psi)$:

- x_B : x coordinate of wave breaking
- $g \approx 9.81 \text{ m.s}^{-2}$: gravitational acceleration
- 0 : x coordinate of deep water
- $\rho_w \approx 1000 \text{ kg.m}^{-3}$: water density
- $H(\psi, x)$: wave height provided by the hydro model

The equation is labeled as **Our choice of J** and represents the **Potential energy of the waves.**

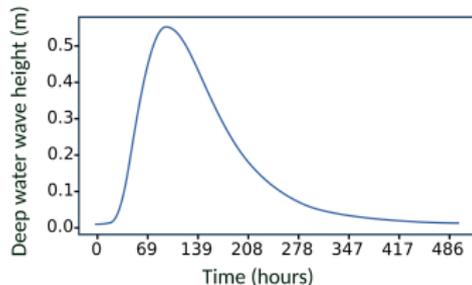
FIRST RESULTS

We start with a linear seabed.

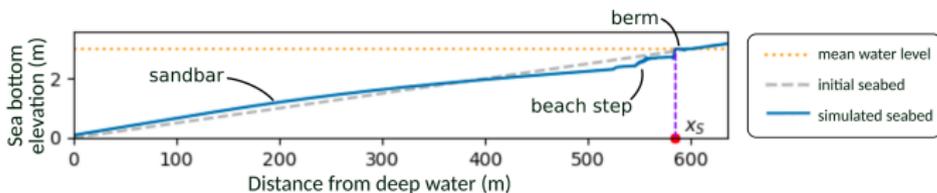


----- mean water level
— initial seabed

We apply the optimizer onto the seabed, over the course of a simple storm.



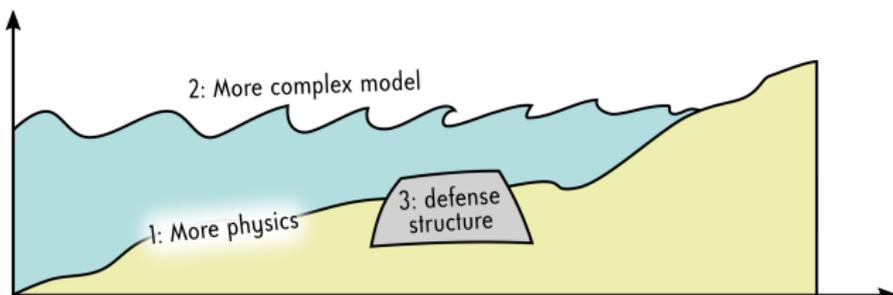
We observe the following results.



----- mean water level
- - - - initial seabed
— simulated seabed

WHAT'S NEXT ?

1. Analyse the natural mechanisms behind coastal dynamics by searching for the driving force J .
2. Complexify the model, using a more advanced hydrodynamic model.
3. Introduce defense structures and optimize their shape at the same time as the morphodynamic optimization.



Thank you for your attention !

